

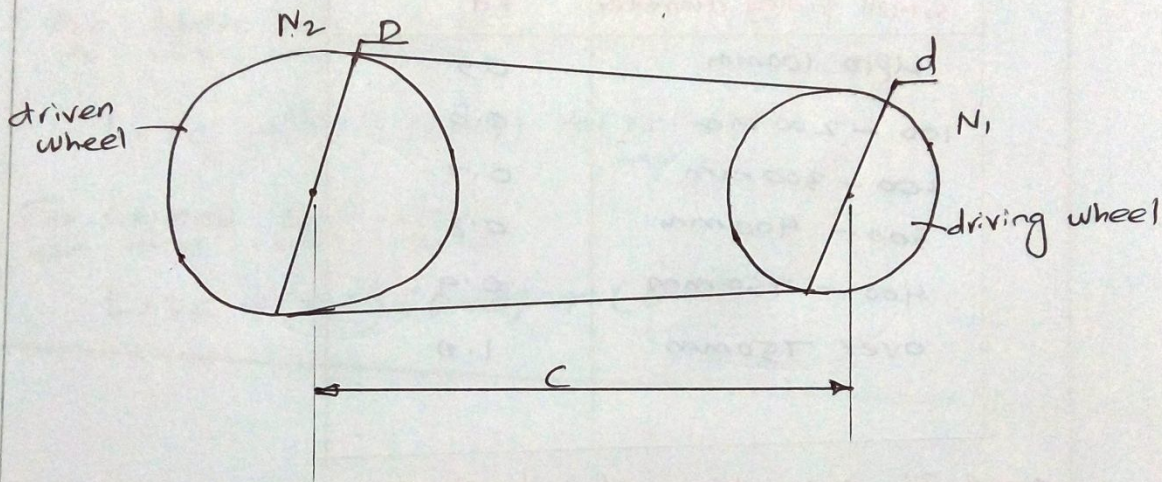
DESIGN OF FLAT BELT DRIVE

The two different design procedures used are

- 1) using the manufacturer's data
- 2) using the basic equations.

Design of flat belt drive based on manufacturer's data:-

STEP 1: selection of pulley diameters



$$\text{speed ratio } i = \frac{D}{d} = \frac{N_1}{N_2}$$

The N_1, N_2, D, d may be given or some of the data missing.

To find out std. diameter of smaller and larger pulley

refer PSUIDB: 7.54

STEP 2: calculation of design power in kW

$$\text{Design kW} = \text{Rated kW (given)} \times \text{Load correction factor (K}_s)$$

$$\text{Arc of contact factor (K}_\alpha) \times \text{Small Pulley factor (K}_d)$$

(i) Load correction factor (K_s):-

Refer: PSUDB Page No: 7.53

(ii) Arc of contact factor (K_a):-

Refer PSUDB Page No: 7.54

$$\text{Arc of contact} = 180^\circ - \left(\frac{D-d}{c}\right) \times 60^\circ$$

~~Refer PSUDB Page No: 7.54~~

(iii) Small pulley factor (K_d):-

Small pulley diameter	K_d
Upto 100mm	0.5
100 - 200 mm	0.6
200 - 300 mm	0.7
300 - 400 mm	0.8
400 - 750 mm	0.9
Over 750mm	1.0

STEP 3: selection of a belting

Refer PSUDB: Page no: 7.54 [Load rating per mm ply at 180° arc of contact at 10m/s]

STEP 4: - Load rating correction

Refer PSUDB: Page no: 7.54

$$\therefore V = \frac{\pi d N_1}{60}$$

$$\text{Load rating at } V \text{ m/s} = \text{Load rating at } 10 \text{ m/s} \times \frac{V}{10}$$

STEP 5: - Determination of belt width

$$\text{width of belt} = \frac{\text{Design power (Given)}}{\text{Load rating} \times \text{No. of plies}}$$

Std. width of transmission belt [From PSUDB Pg. No: 7.52]

STEP 6:- Determination of pulley width

⇒ Pulley width [from PSUDB. Pg. no: 7.54]

⇒ Recommended series of width of flat pulleys, m
~~[pulley width = belt width + 10]~~

[from PSUDB Pg. no: 7.55]

STEP 7:- calculation of belt length (L)

From PSUDB Pg. no: 7.53

For open belt drive:-

$$L = 2c + \left(\frac{\pi}{2}\right)(D+d) + \frac{(D-d)^2}{4c}$$

For crossed belt drive:-

$$L = 2c + \left(\frac{\pi}{2}\right)(D+d) + \frac{(D+d)^2}{4c}$$

Problem

It is required to select a flat-belt drive for a fan running at 360rpm. which is driven by a 10kw, 1440rpm motor. The belt drive is open-type and space available for a centre distance of 2m approximately. The

diameter of a driven pulley is 1000mm.

Given data:-

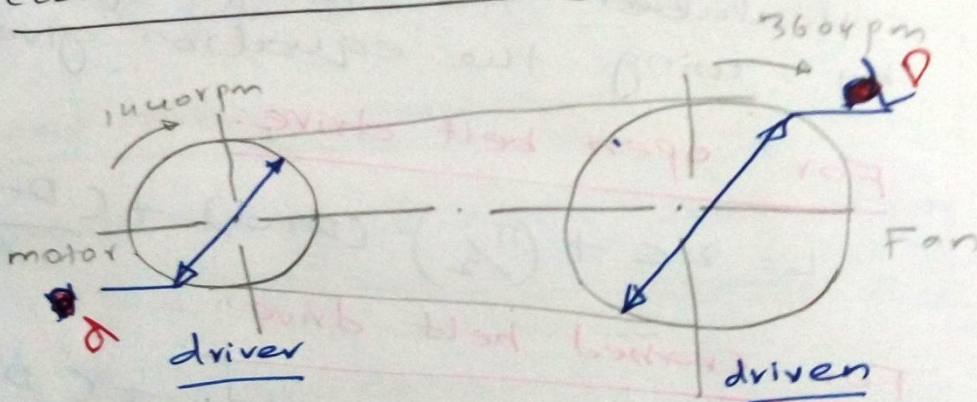
$$N_1 = 1440 \text{ rpm}, N_2 = 360 \text{ rpm}$$

$$P = 10 \text{ kW} = 10 \times 10^3 \text{ W}, C = 2 \text{ m}, D = 1000 \text{ mm}$$

To find:-

select cord design) a open belt drive.

1) calculation of pulley diameters:



Driven pulley diameter $D = 1000 \text{ mm}$

$$\text{Velocity ratio} = \frac{D}{d} = \frac{\text{Driver pulley speed}}{\text{Driven pulley speed}}$$

$$\frac{N_1}{N_2} = \frac{D}{d} = \frac{360}{1440} = \frac{1000}{d}$$
$$d = \frac{1000 \times 1440}{360}$$
$$d = 4000$$

$$= \frac{N_1}{N_2} = \frac{1440}{360}$$

$$\frac{D}{d} = 4$$

$$d = \frac{D}{4} = \frac{1000}{4}$$

$$d = 250 \text{ mm}$$

see - Recommended pulley diameters
in mm [from DB - pg. no - 7.54]

recommended Drivers pulley diameter
= 250mm

2) calculation of design power in kw

$$\text{Design kw} = \text{Rated kw} \times \text{Load correction factor (K}_s)$$

$$\text{Arc of contact factor (K}_a) \times \text{Small Pulley factor (K}_d)$$

(i) Rated kw = 10kw

(ii) Referring, Load correction factor
 K_s - [from DB - pg. no 7.53]

$K_s = 1.2$ for steady load.

(iii) To find arc of contact factor (K_a)

$$\text{Arc of contact} = 180^\circ - \left(\frac{D-d}{C} \right) \times 60^\circ$$

$$= 180^\circ - \left(\frac{1000 - 250}{2000} \right) \times 60^\circ$$

$$= 157.5^\circ$$

ref. Arc of contact factor K_a [from DB - pg. no. 7.54]

$$K_d \approx 1.08$$

iv) consulting small pulley factor k_d
[from DB - Pg. no - 7.62]

$$k_d = 0.7$$

$$\text{Design } kW = \frac{10 \times 1.2}{1.08 \times 0.7} = 15.873 \text{ kW}$$

3) Selection of belt:-

Load rating of fabric belts per mm width per ply at 180° arc of contact at 10 m/s belt speed [from DB - Pg. no 7.54]

H1-SPEED duck belting is selected.

Its capacity is given as 0.023 kW/mm/ply

4) Load rating correction:-

$$\text{Velocity of the belt } v = \frac{\pi d n_1}{60}$$

$$= \frac{\pi \times 0.25 \times 1440}{60}$$

$$v = 18.85 \text{ m/s}$$

Load rating at v m/s

$$= \text{Load rating at } 10 \text{ m/s} \times \frac{v}{10}$$

Load rating at 18.85 m/s

$$= \text{Load rating at } 10 \text{ m/s} \times (18.85 / 10)$$

$$= 0.023 \times (18.85/10)$$

$$= 0.04335 \text{ kW/mm/ply.}$$

5) Determination of belt width

For 250mm smaller pulley diameter and velocity of 18.85 m/s, ref DB-Pg.no-7.5

— minimum pulley diameter in mm for given speed and belting ply. can be selected as 5

$$\text{width of belt} = \frac{\text{Design power}}{\text{Loading rating} \times \text{no. of plies}}$$

$$= \frac{15.873}{0.04335 \times 5}$$

$$= 73.23 \text{ mm}$$

$$= 73.23 \text{ mm}$$

From DB-Pg.no-7.52 — Std width (belt)

For 5 ply belt, standard belt width } = 76 mm

6) Determination of Pulley width: -

From DB-Pg.no-7.52 — pulley width

$$\text{Pulley width} = \text{Belt width} + 13$$

$$= 76 + 13 = 89 \text{ mm.}$$

ref - DB - page no - 7.53 ✓

Standard Pulley width = 90 mm

1) calculation of length of the belt (L)

ref. DB pg. no - 7.53

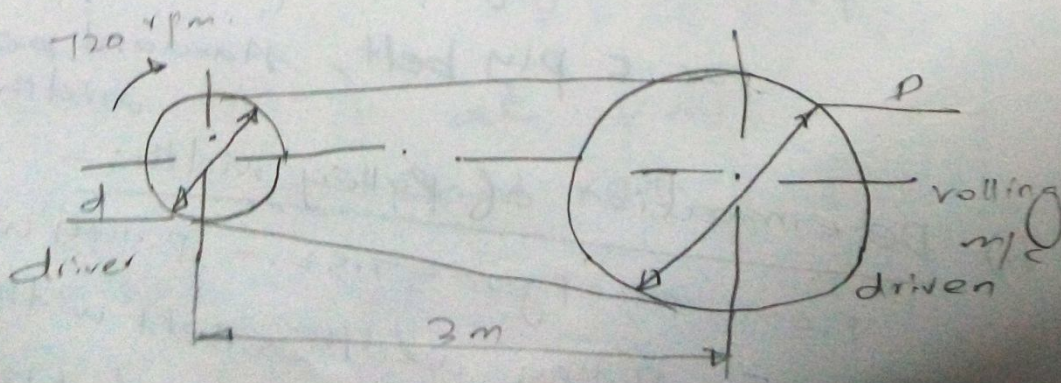
For open belt drive

$$L = 2c + \frac{\pi}{2}(D+d) + \frac{(D-d)^2}{4c}$$

$$= 2 \times 2000 + \frac{\pi}{2}(1000 + 250) + \frac{(1000 - 250)^2}{4 \times 2000}$$

$$L = 6033.8 \text{ mm}$$

Design a belt drive to transmit 20 kW at 720 rpm to an aluminium rolling machine, the speed ratio being 3. The distance between the pulleys is 3 m. Diameter of rolling machine pulley is 1.2 m



Given data:-

$$P = 20 \text{ kW}$$

$$N_1 = 720 \text{ rpm}$$

$$\text{Speed ratio} = 3$$

$$C = 3 \text{ m} \quad P = 1.2 \text{ m} = 1.2 \times 1000$$

To find:- Design a belt drive = 12000 mm

Solution:-

1) calculation of pulley diameters:

$$\text{Speed ratio} = \frac{D}{d} = \frac{\text{Driver pulley speed}}{\text{Driven pulley speed}}$$

$$\frac{D}{d} = 3 \Rightarrow d = \frac{D}{3} = \frac{1200}{3}$$

$$d = 400 \text{ mm}$$

2) calculation of design power in kW

$$\text{Design kW} = \frac{\text{Rated kW} \times \text{Load correction factor (K}_s)}{\text{Arc of contact factor (K}_d) \times \text{Small pulley factor (K}_d)}$$

(i) Rated kW = 20 kW

(ii) Load correction factor (K_s) - DB fig. no. 7.57

$$K_s = 1.5$$

(iii) Arc of contact (K_d) From DB - pg. no - 7.54

$$\begin{aligned}\text{Arc of contact} &= 180^\circ - \left(\frac{P-d}{c}\right) \times 60^\circ \\ &= 180^\circ - \left(\frac{1200-400}{3000}\right) \times 60^\circ \\ &= \underline{\underline{164^\circ}}\end{aligned}$$

From DB - pg. no. 7.54

$$K_d = 1.06$$

160°	170°
1.08	1.04
✓	
<u>1.06</u>	

(iv) small pulley factor (K_d)

$$K_d = 0.8$$

$$\text{Design } kW = \frac{20 \times 1.5}{1.06 \times 0.8} = 35.377 \text{ kW}$$

3) selection of belt:-

From DB - pg. no. 7.54

Fort duck belting is selected. Its

capacity is given as 0.0289 kW/mm/ply

4) Load rating correction:-

$$\begin{aligned}\text{velocity of the belt } v &= \frac{\pi d N}{60} \\ &= \frac{\pi \times 0.4 \times 720}{60}\end{aligned}$$

$$= 15.08 \text{ m/s}$$

$$\text{Load rating at } v \text{ m/s} = \text{Load rating at } 10 \text{ m/s} \times \frac{v}{10}$$

$$\therefore \text{Load rating at } 15.08 \text{ m/s}$$

$$= \text{Load rating at } 10 \text{ m/s} \times \left(\frac{15.08}{10} \right)$$

$$= 0.0289 \times \left(\frac{15.08}{10} \right)$$

$$= 0.04358 \text{ KW/mm/ply}$$

5) Determination of belt width:

For 400mm smaller pulley diameter and velocity of 15.08 m/s,

From PB - Pg. no. 7.52.

$$\text{no. of plies} = 6$$

$$\text{width of belt} = \frac{\text{Design Power}}{\text{Load rating} \times \text{no. of plies}}$$

$$= \frac{35.377}{0.04358 \times 6}$$

$$= 135.29 \text{ mm}$$

$$= \underline{\underline{135.29 \text{ mm}}}$$

From DB - Pg. no. Std. width = 152mm

6) Determination of pulley width

From DB - Pg. no. 7.55

$$\begin{aligned} \text{pulley width} &= \text{belt width} + 25 \\ &= 152 + 25 = \underline{\underline{177 \text{ mm}}} \end{aligned}$$

From DB - Pg. no. 7.52

Std. pulley width = 180 mm.

7) calculation of length of the belt (L)

For open belt,

$$\begin{aligned} L &= 2c + \left(\frac{\pi}{2}\right) (D+d) + \frac{(D-d)^2}{4c} \\ &= 2 \times 3000 + \frac{\pi}{2} (1200 + 400) \\ &\quad + \frac{(1200 - 400)^2}{4 \times 3000} \end{aligned}$$

$L = 8566.6 \text{ mm}$

